

# Structural Testing

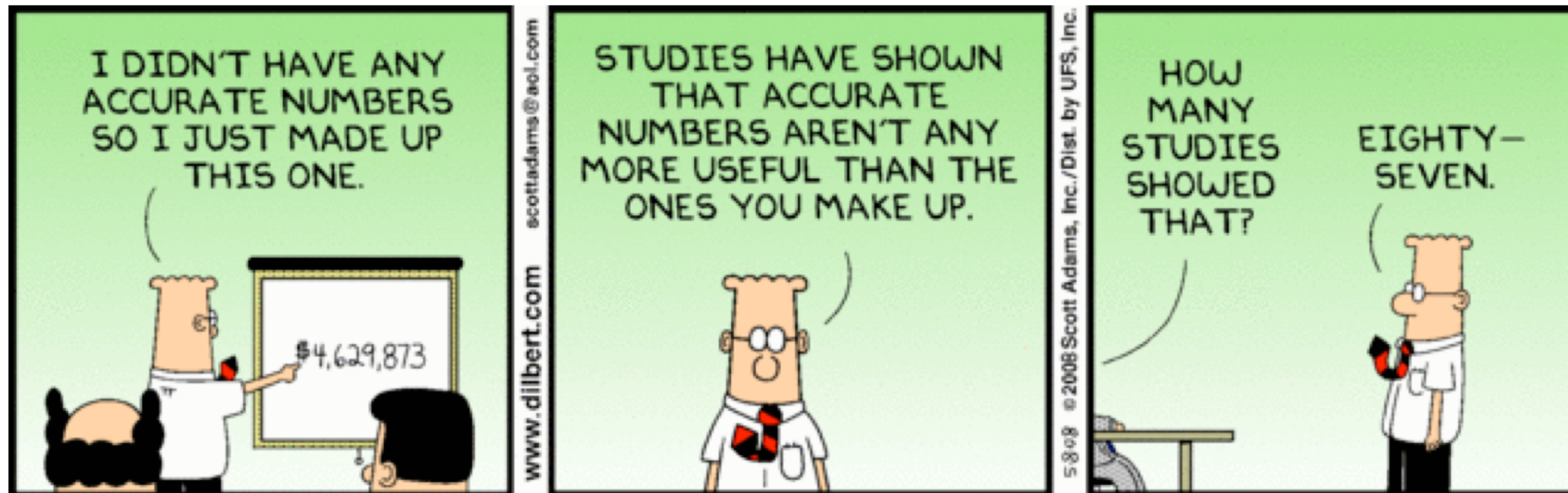
**CS454 AI-based Software Engineering: Tutorial for SBST**

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# What is structural testing?

- Structural testing measures the quality of testing based on the internal structure of the code. For example,
  - we can ask “have I tested all variable declarations?”
  - but can’t ask “have I tested all functionalities in the requirement documentation?”
- It is most relevant to unit testing, where your view of the entire system is at the code level

# What does it really mean?



# In industry at the time of writing

- Organisations **strive** to reach **less than 100%** coverage (if they care at all)
  - **Statement** and **branch** coverage are used widely
  - Certain industry, e.g. avionics, legally require 100% coverage
- Over 75% is practically regarded as good enough, but research claims that you need at least over 90% for satisfactory fault detection:
  - Hutchins, Foster, Goradia and Ostrand, 'Experiments on the Effectiveness of Dataflow- and Controlflow-Based Test Adequacy Criteria', Proc. 16th Int'l Conference on Software Engineering (ICSE-16), 1994
- Many tools exist to measure coverage of all kinds described here

# Test Data Generation

- Very active research area in automatically generating test input to achieve these criteria during the last 10 years; mature enough to get a big break
- The big question: can we **generate** a test suite that achieves (branch/statement/All Path) coverage **automatically**?
- Traditional tools:
  - You. Think and write down.
  - Random: generate random inputs until you cover everything (not very likely in some cases)
  - User session: but they weren't testing really

# Cutting Edge Techniques

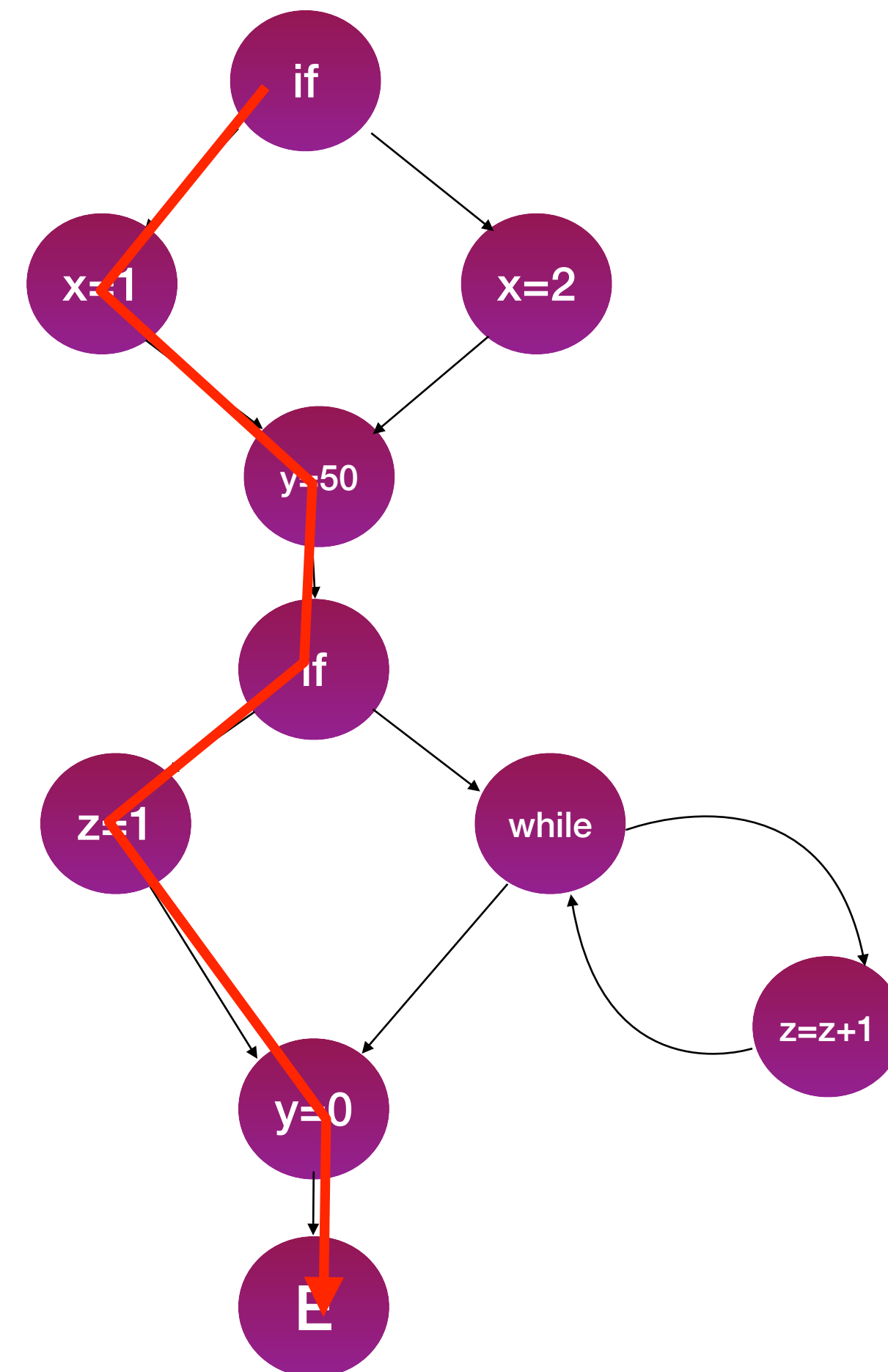
- Search-Based Testing can cover an arbitrary statement/branch you want - repeat until you reach 100%
- Dynamic Symbolic Execution (aka Concolic Testing) achieves path coverage (the former CS453 was big on this topic: there is a CS492 Special Topic in CS taught by Prof. Moonzoo Kim)
- Both techniques are based on what we call Path Conditions

# Path Condition

- A collection of predicates that leads the program execution down to a specific path

```
if(y > 13) x=1; else x=2;  
y = 50;  
if(w == 4) z = 1;  
else{  
    while(...)  
        z = z + 1;  
}  
y = 0;
```

What is the path condition?



**$y > 13 \ \&\& \ w == 4$**

# Path Condition

- If you obtain a set of input values that satisfies a given path condition, you cover the corresponding path
- Search-Based Testing converts the path condition into a fitness function and uses meta-heuristic search to find the values
- DSE uses constraint solvers to find the values



# Search-Based Testing

- General Idea
  - Convert path conditions into a mathematical **fitness function**
  - Use meta-heuristic search algorithms to maximise/**minimise** this function
    - **start** with one or more **random** input values
    - essentially, you **try** slightly different solutions every time and **pick** the one that is **fitter**
    - **repeat** with the fitter solution
  - When the goal is met, you have your test input values

# Search-Based Testing

- Fitness function for branch coverage = [approach level] + normalise([branch distance])
- For a target branch and a given path that does not cover the target:
  - Approach level: number of un-penetrated nesting levels surrounding the target
  - Branch distance: how close the input came to satisfying the condition of the last predicate that went wrong

# Branch Distance

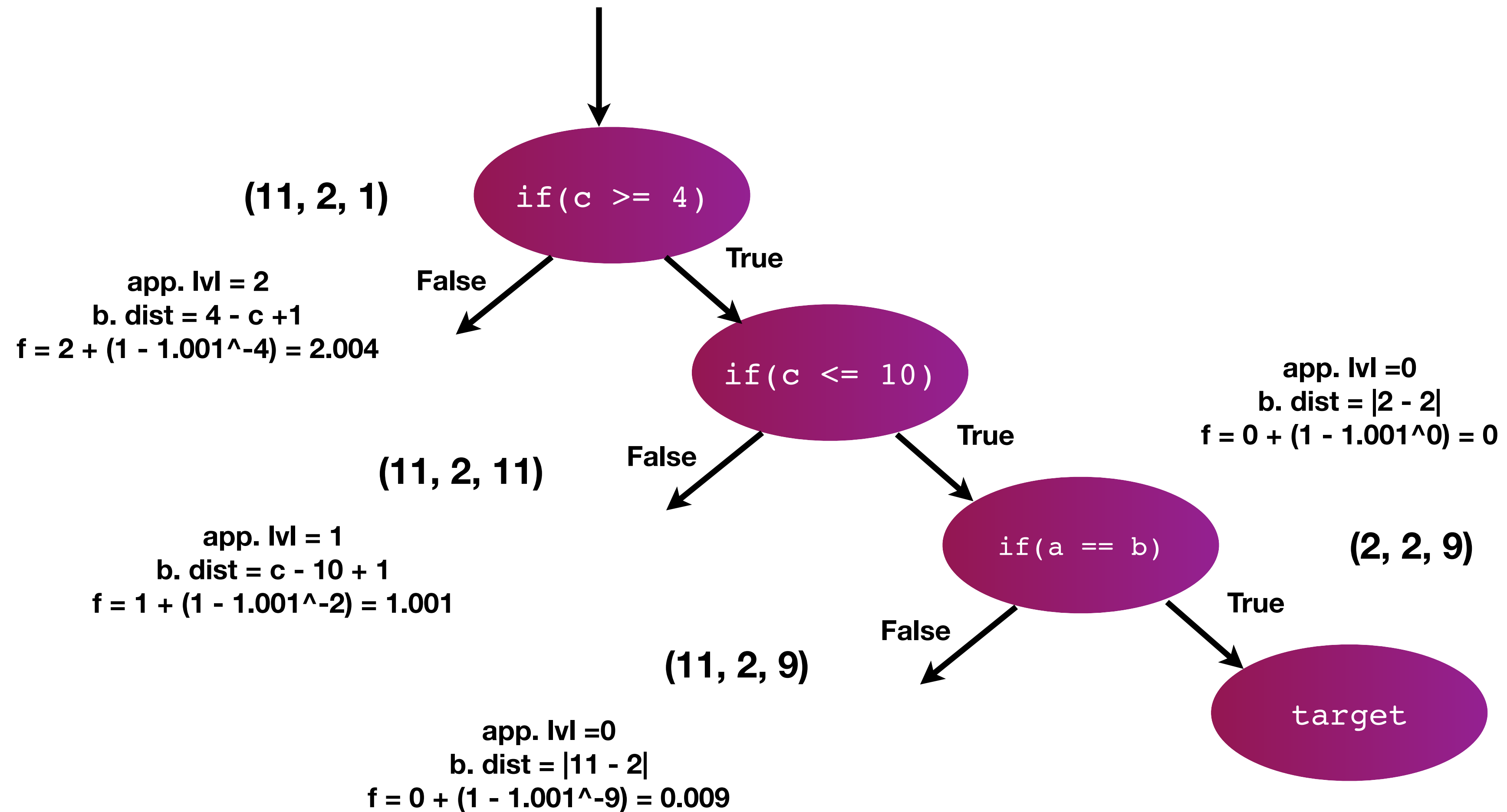
- If you want to satisfy the predicate  $x == y$ , you convert this to branch distance of  $b = |x - y|$  and seek the values of  $x$  and  $y$  that minimise  $b$  to  $\ominus$ 
  - then you will have  $x$  and  $y$  that are equal to each other
- If you want to satisfy the predicate  $y \geq x$ , you convert this to branch distance of  $b = x - y + K$  and seek the values of  $x$  and  $y$  that minimise  $b$  to  $\ominus$ 
  - then you will have  $y$  that is larger than  $x$  by  $K$
- Normalise  $b$  to  $1 - 1.001^{-b}$

# Branch Distance

Predicate	f	minimise until..
$a > b$	$b - a + K$	$f < 0$
$a \geq b$	$b - a + K$	$f \leq 0$
$a < b$	$a - b + K$	$f < 0$
$a \leq b$	$a - b + K$	$f \leq 0$
$a == b$	$ a - b $	$f == 0$
$a != b$	$- a - b $	$f < 0$

**B. Korel, "Automated software test data generation," IEEE Trans. Softw. Eng., vol. 16, pp. 870–879, August 1990.**

# Fitness Function



Test input (a, b, c), K = 1